#### Towards Integrating Formal Methods into ML-Based Systems for Networking ACM HotNets 2023

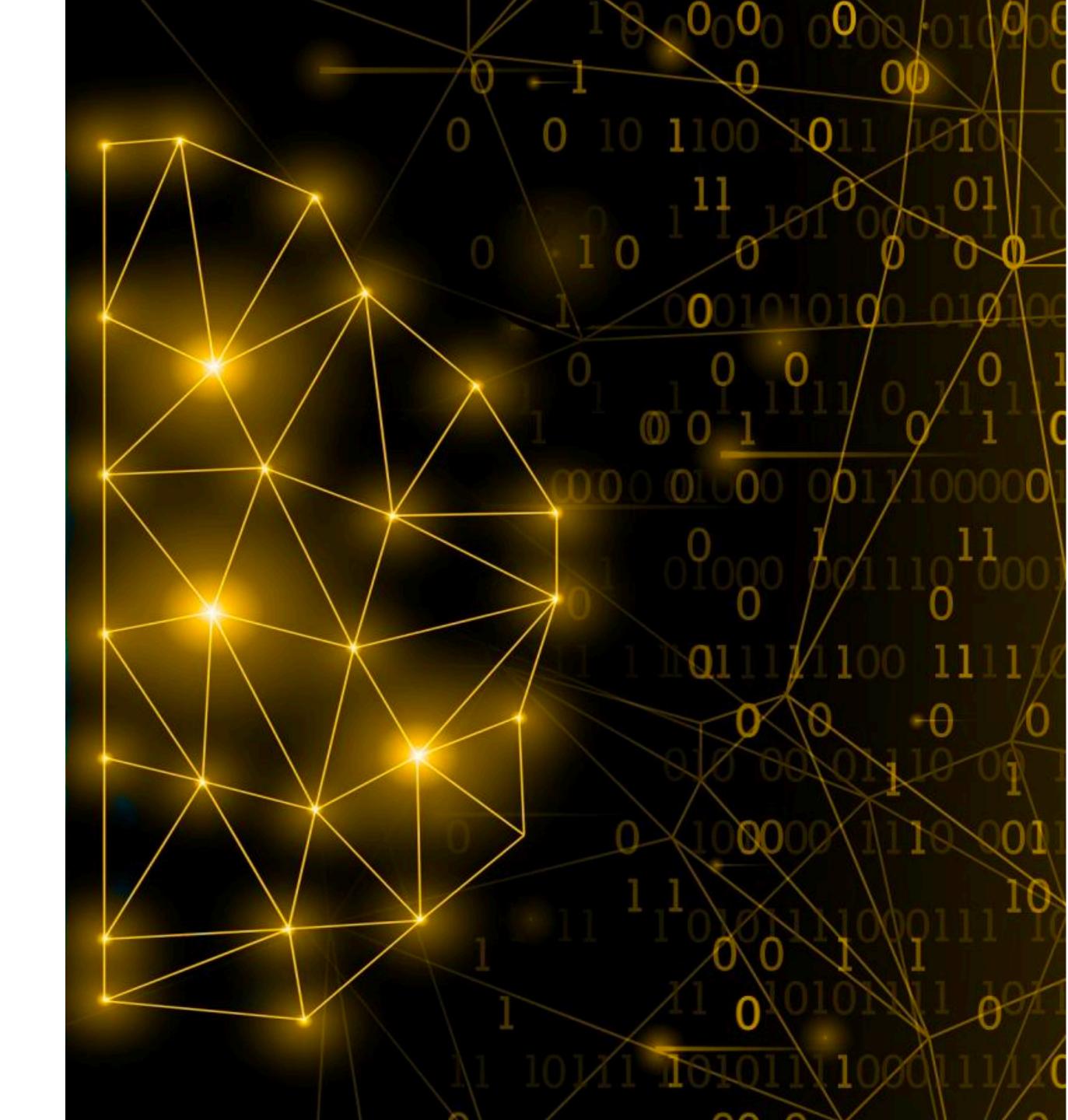
Fengchen Gong, Divya Raghunathan, Aarti Gupta, Maria Apostolaki



#### Machine learning is scalable and adaptable But...

How generalizable is a machine learning model?

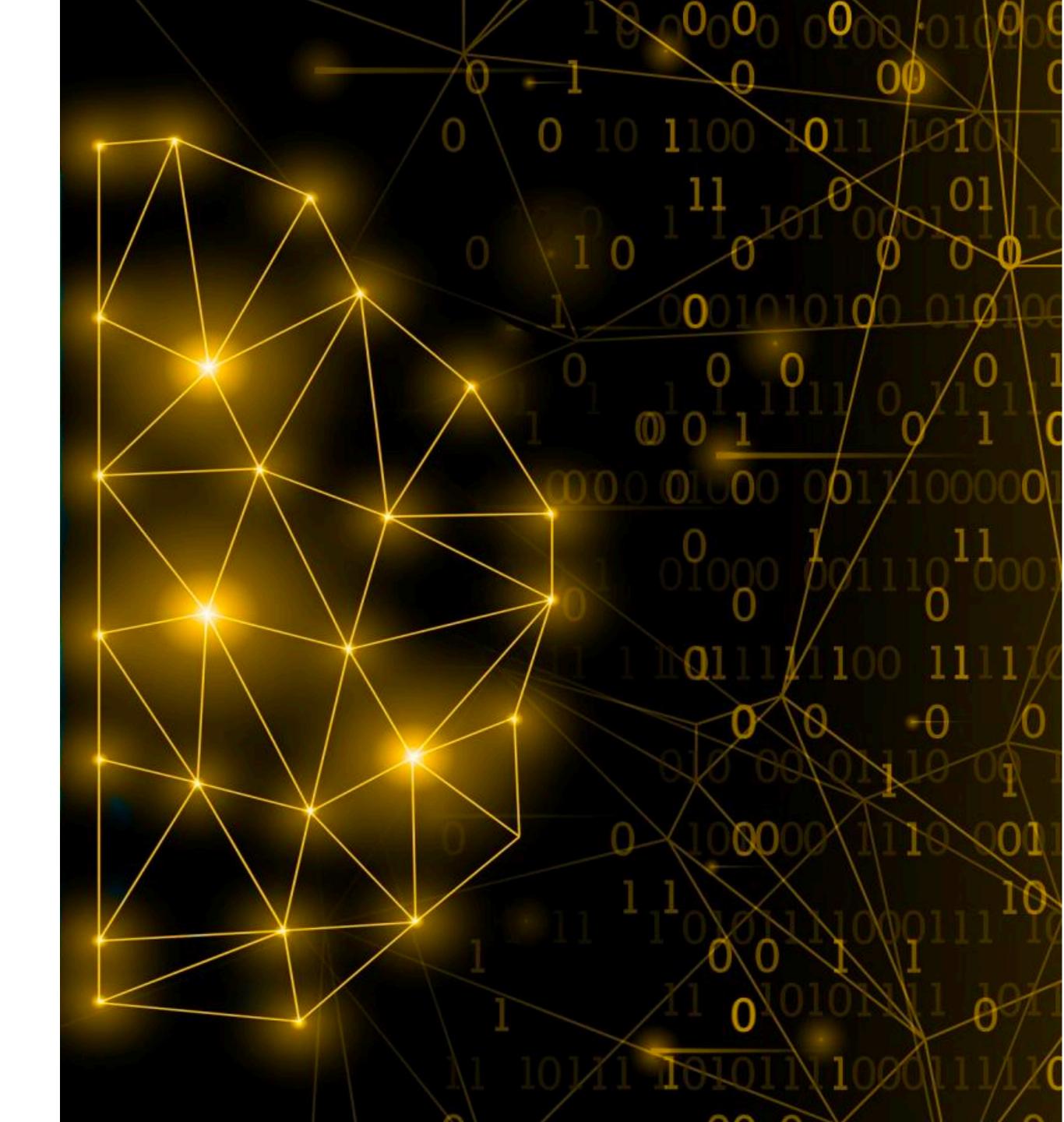
How do we make sure a model is trustworthy when used in real world?



# ML-based solutions lack correctness guarantees

ML-based solutions may...

- result in implausible outputs
- perform worse than simple heuristics
- contradict common sense



0t°  $(\mathcal{X}) = \frac{1}{\sqrt{k}} \left( A_{-e^{ik,k}} + A_{-e^{ik,k}} \right) \quad \chi < 0$ Ωm=10  $S = \frac{1}{2} \int d^4x \left( R + \frac{R^2}{6M^2} \right)$ 87G Tmu  $H|\psi(t)\rangle = i\hbar \frac{\partial}{\partial t}|\psi(t)\rangle$  $p^2 c^2 + m^2 c^4$  $P = \hbar k = \frac{hv}{c} = \frac{h}{\lambda}$  $\delta(k_1 + k_2)$ 

#### Formal Methods leverages knowledge to generate correct results



#### ...but, it doesn't scale



0t7 1.1  $f(\mathcal{X}) = \frac{1}{\sqrt{K_{i}}} (A_{-e^{iK,K}} + A_{-e^{iK,K}}) \quad X < 0$  $\Omega_m = 1.0$ - C  $S = \frac{1}{2} \int d^4x \left( R^+ \frac{R^2}{6M^2} \right)$  $R_{g_m} = \frac{8\pi G}{c^4} T_m$  $H|\psi(t)\rangle = i\hbar \frac{\partial}{\partial t}|\psi(t)\rangle$  $p^2 c^2 + m^2 c^4$  $P = \hbar k = \frac{hv}{c} = \frac{h}{\lambda}$  $\delta(k_1+k_2)$ k,2 OH

Image by Donald Jorgensen | Pacific Northwest National Laboratory

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### Towards Integrating Formal Methods into **ML-Based Systems for Networking**

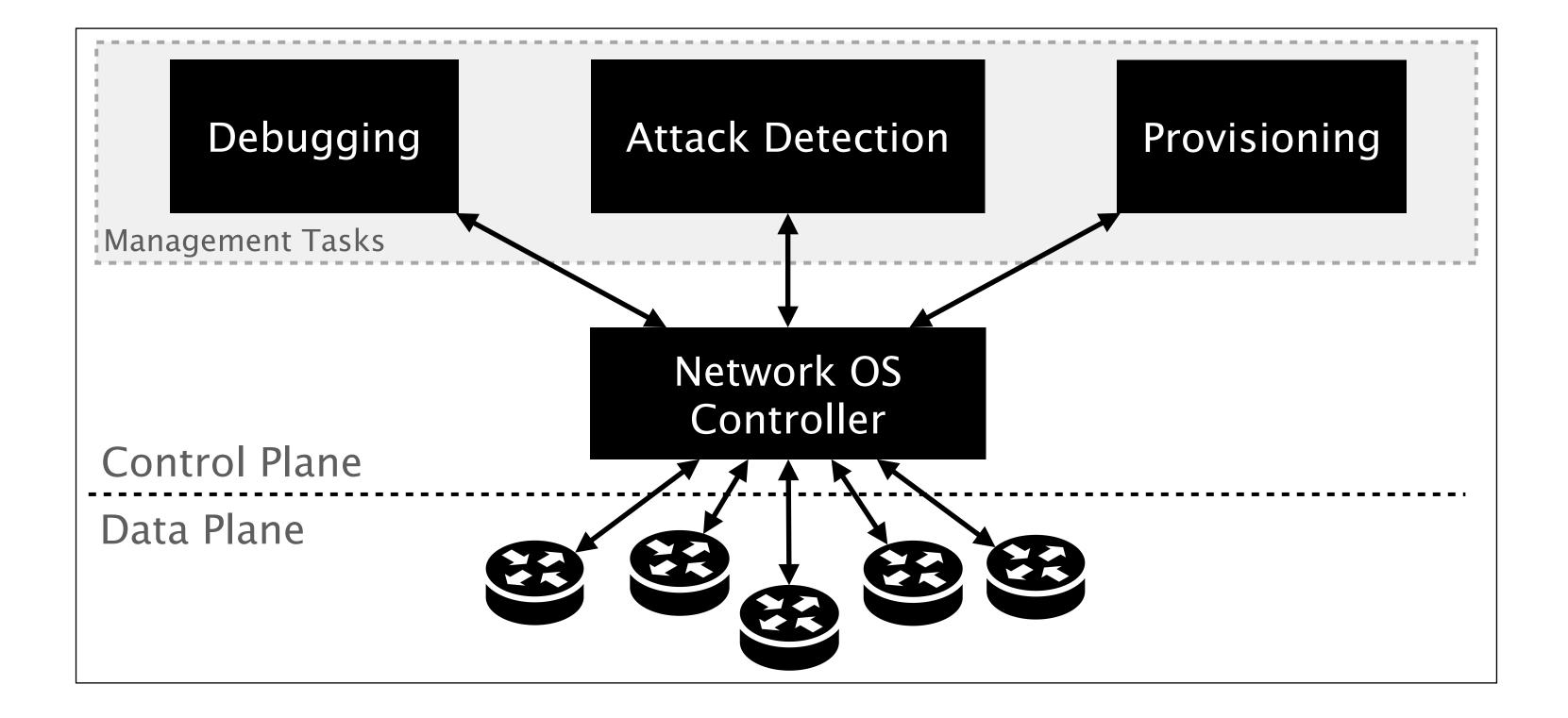
Formal Methods closed-forms

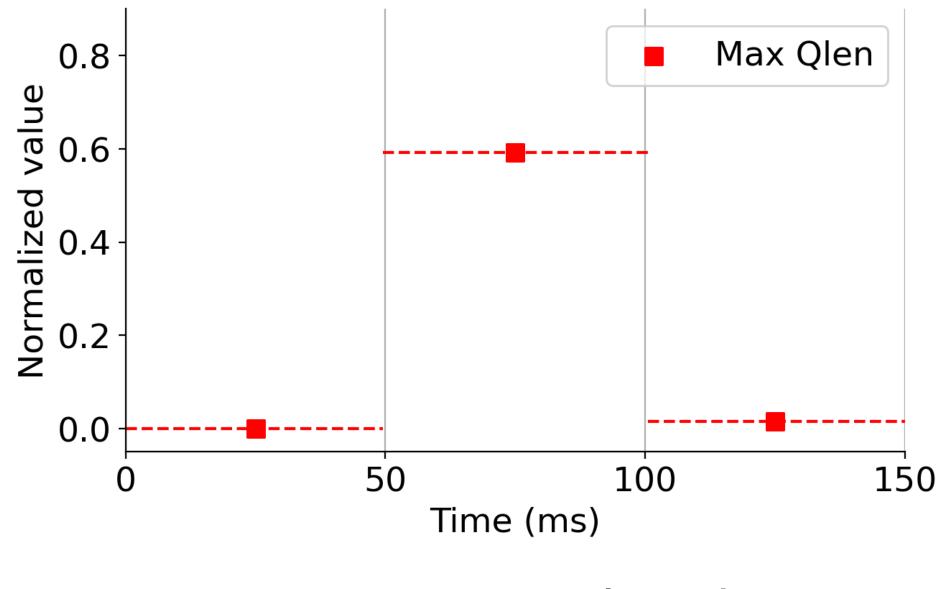
**Machine Learning** correlations



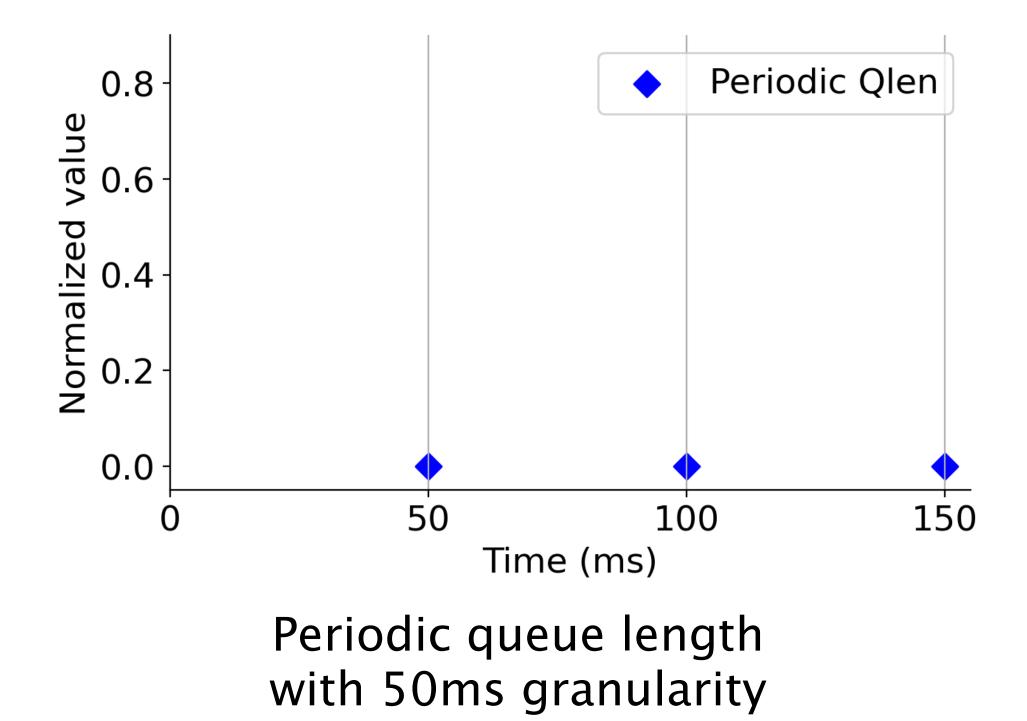


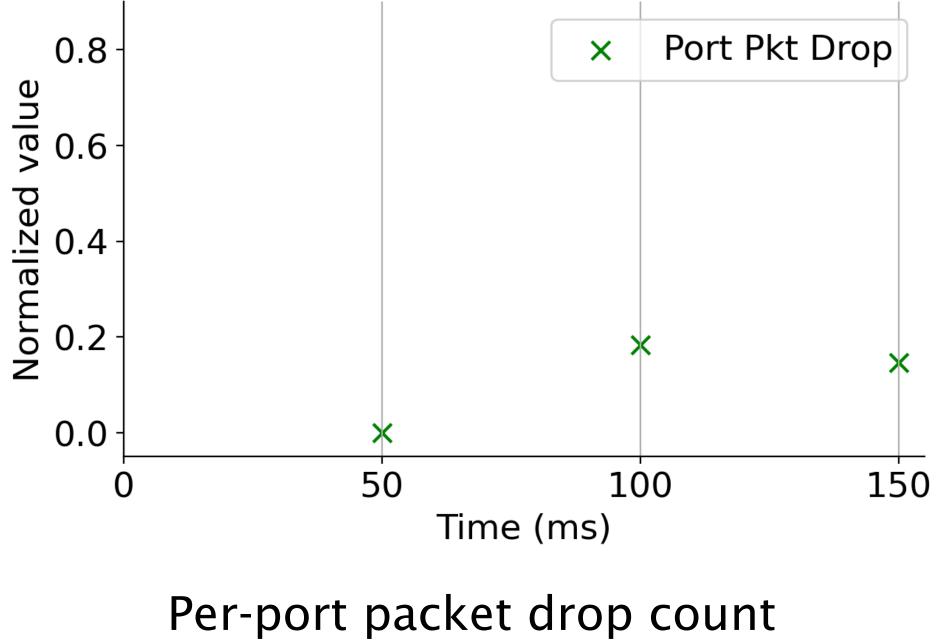
# Fine-grained telemetry is required for network managements, but hard to get



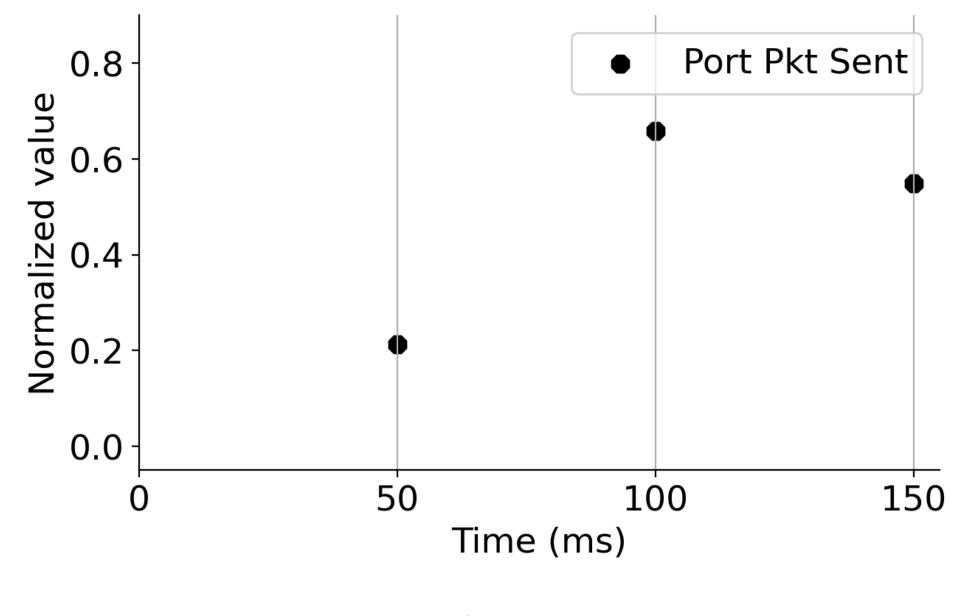


Maximum queue length with 50ms granularity



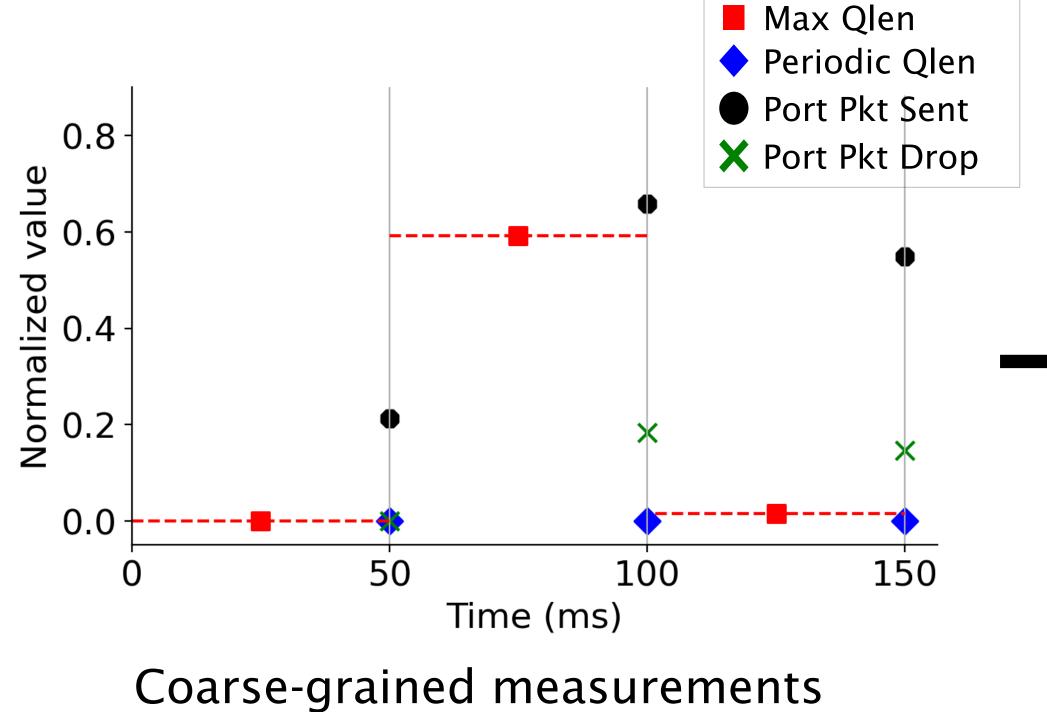


with 50ms granularity

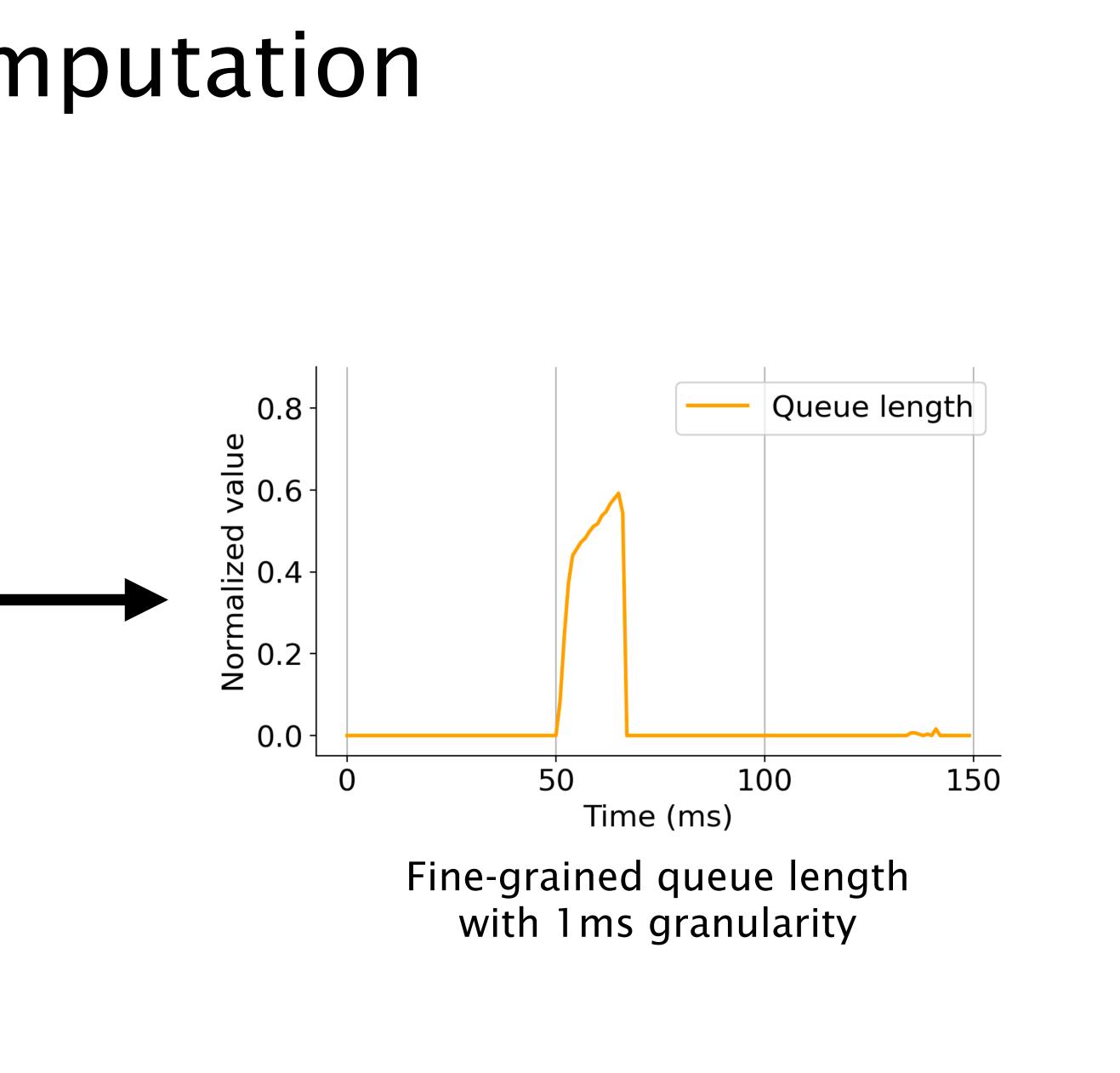


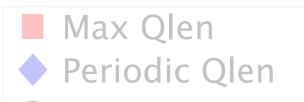
Per-port packet sent count with 50ms granularity

### Network telemetry imputation

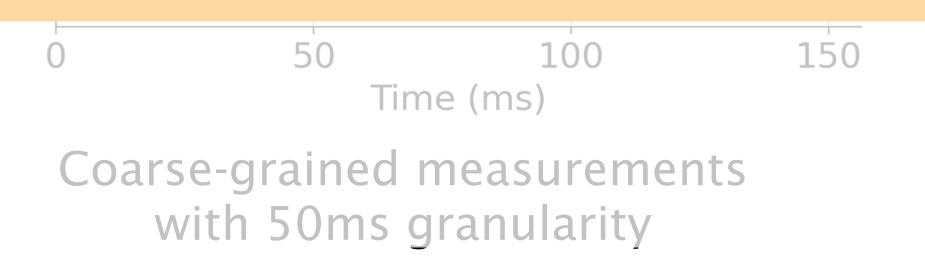


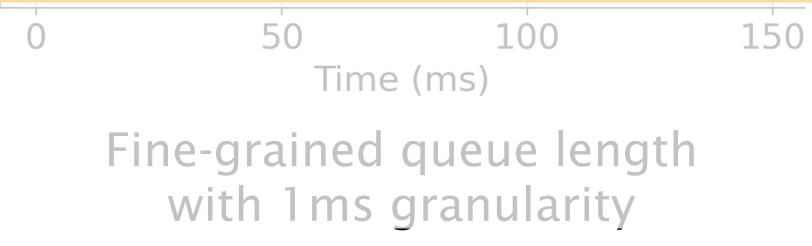
with 50ms granularity





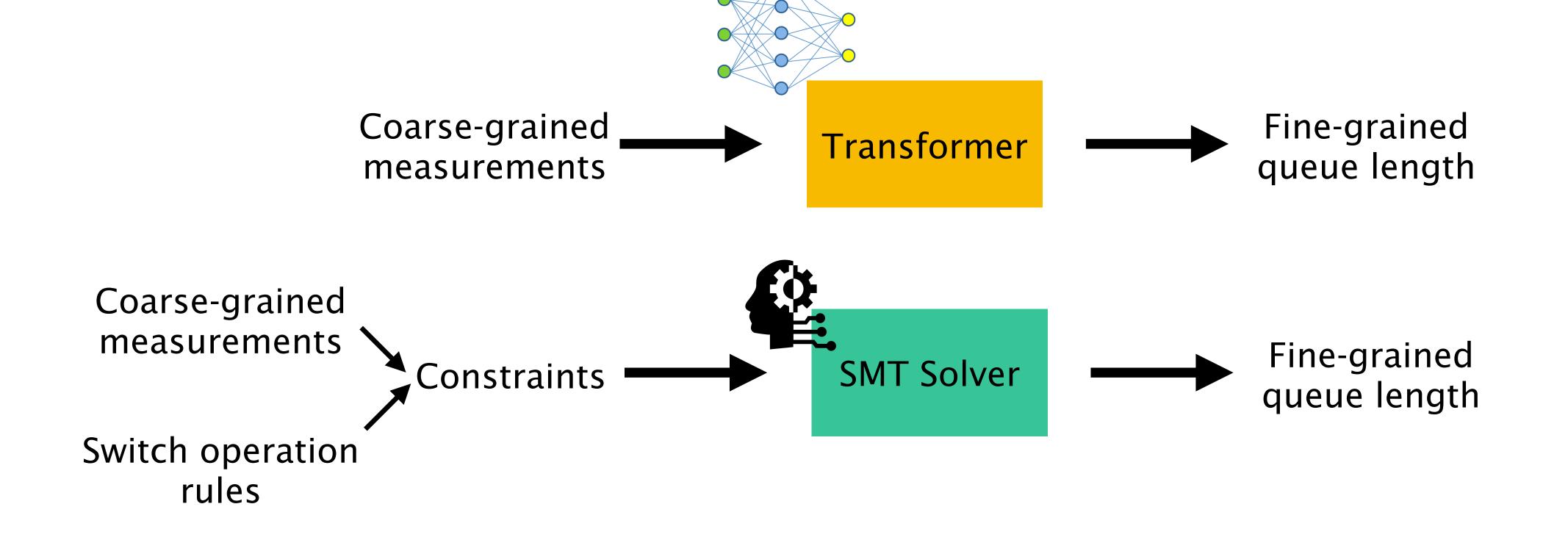
## Network Telemetry Imputation: recovering fine-grained time-series from coarse-grained ones



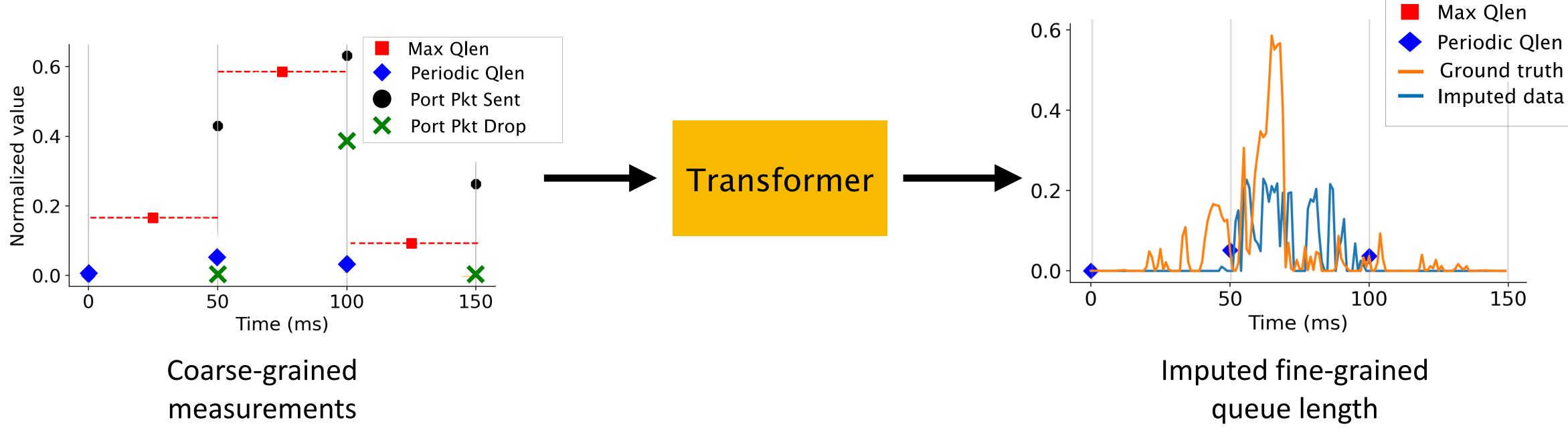




### Potential solutions: ML or Formal Methods

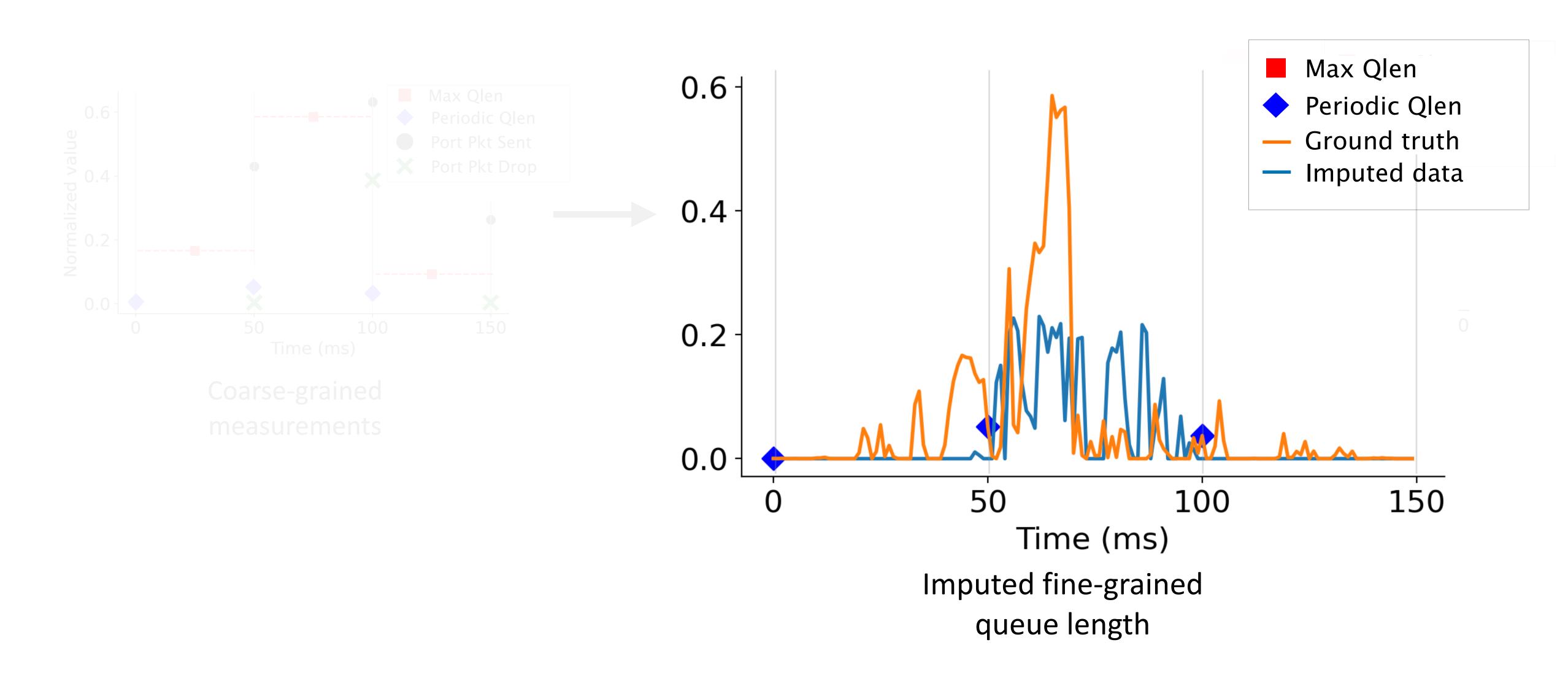


#### A transformer can learn correlations, but the output lacks correctness

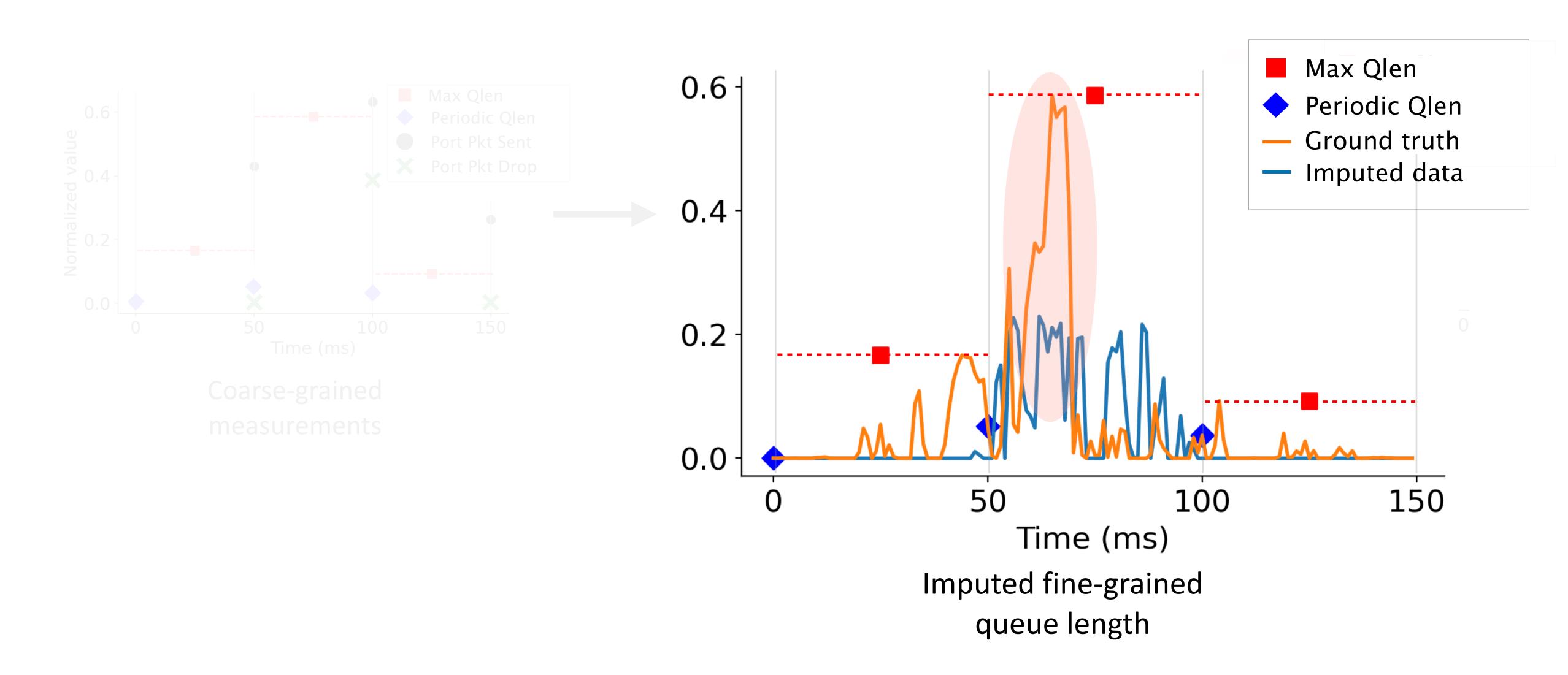




# A transformer can learn correlations, but the output lacks correctness



# A transformer can learn correlations, but the output lacks correctness



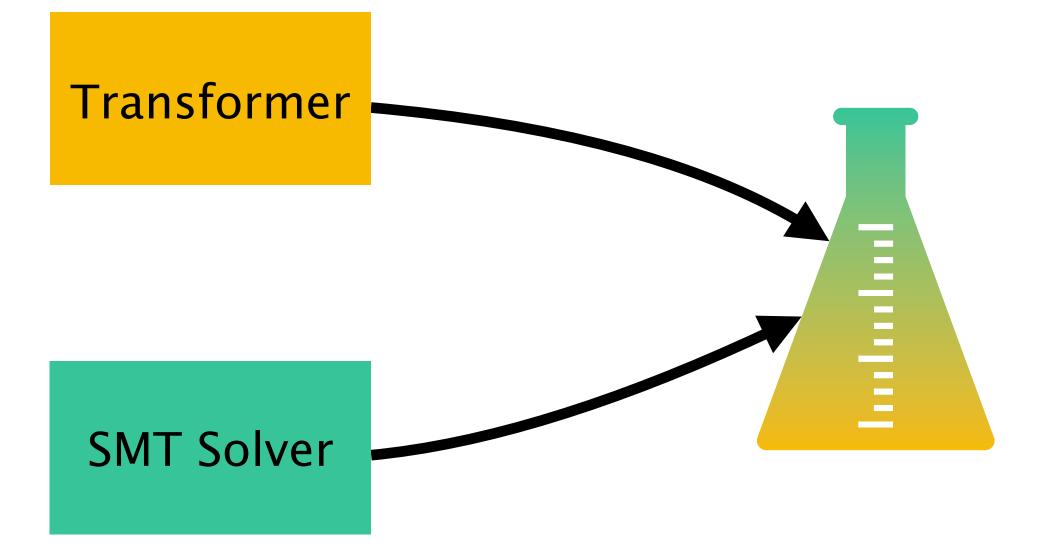
#### Formal Methods can find a plausible solution, but is hard to scale

Operation constraints: Scheduling algorithm Buffer management algorithm

Measurement constraints: The maximum queue length The periodic queue length SMT Solver

Couldn't finish in 24hrs for 1Gbps bandwidth

#### How to integrate them?



Challenges:

No standard way

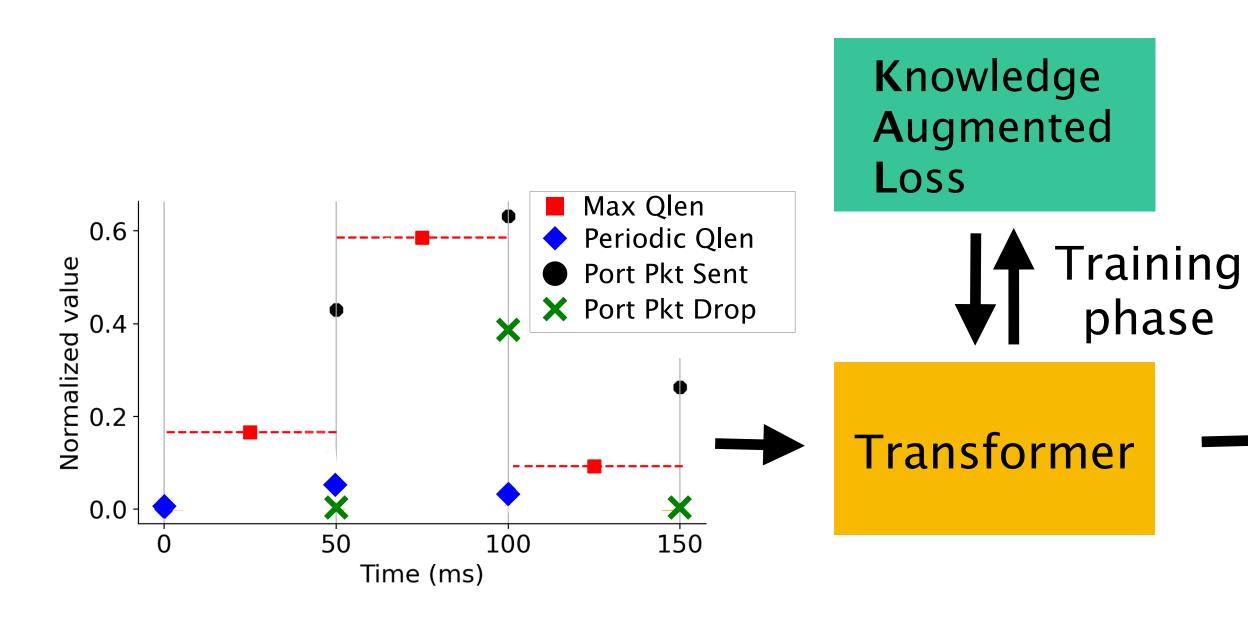
ML models cannot easily ingest traditional rules or relationships

Incorporating knowledge can increase the complexity of the learning process

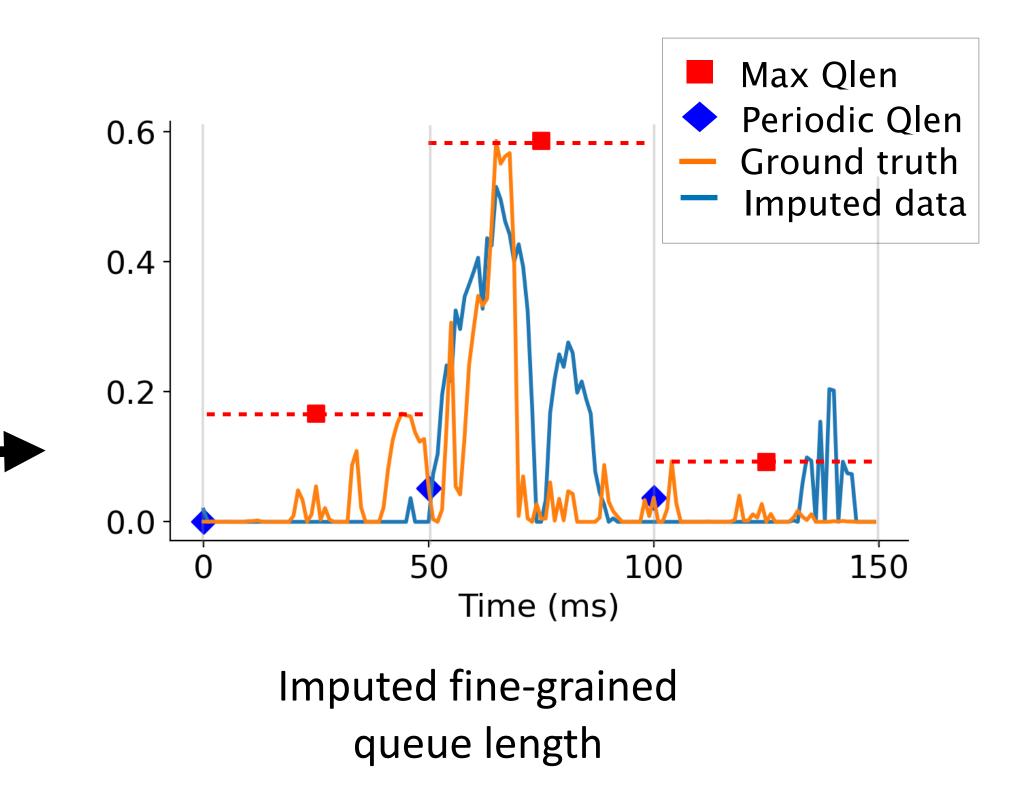
#### Start from transformer

Transformer

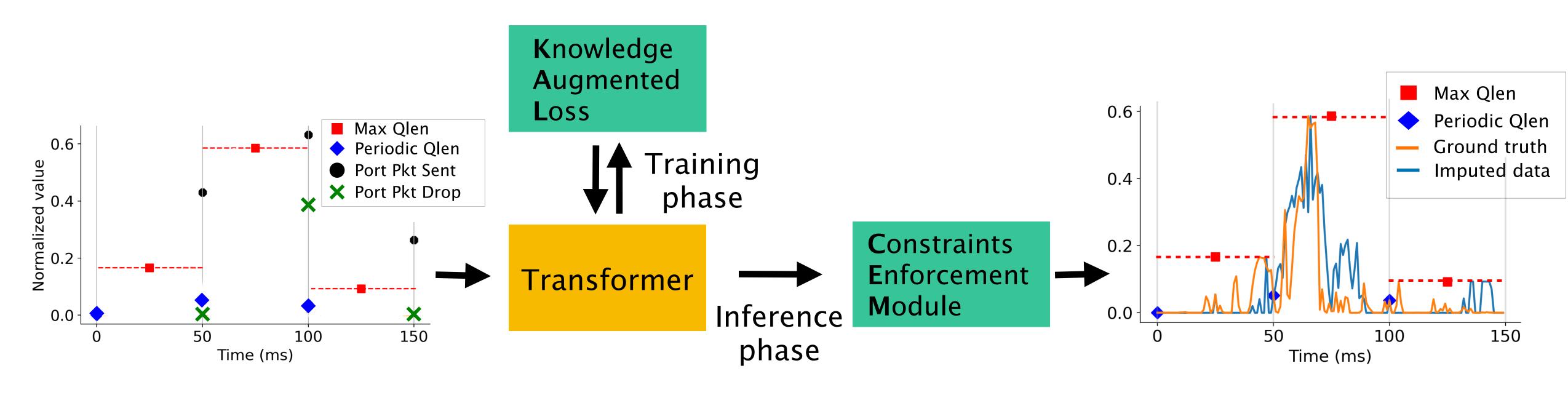
## Knowledge augmented loss



Coarse-grained Time Series



### Constraint enforcement module



Coarse-grained Time Series

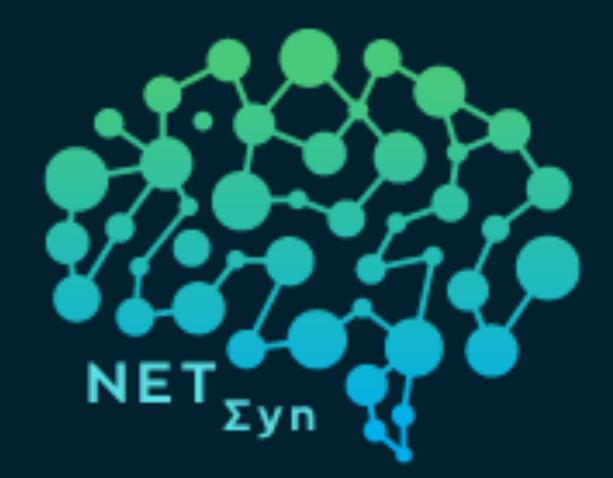
#### Imputed fine-grained queue length

### What next?

Integrating Formal Methods and ML Is there a better way of integrating them? What other network problems can benefit?

Generalize Network Telemetry Imputation What other telemetry metrics can be imputed? How do we impute real-time?





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